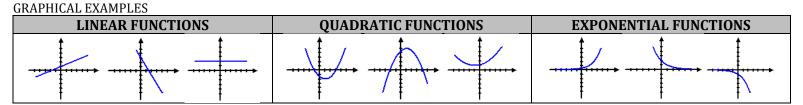
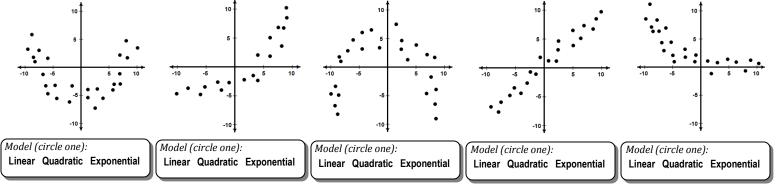
HGeorgia Standards Of Excellence

Sec 5.1 – Identifying the Function <u>Linear, Quadratic, or Exponential Functions</u>

Name:



1. Graphically identify which type of function model might best represent each scatter plot.



2. Match each graph with its description.

I. An **exponential** function that is always **increasing**.

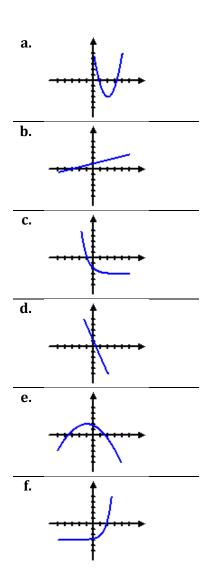
II. An **exponential** function that is always **decreasing**.

III. A **quadratic** function with a **local maximum**.

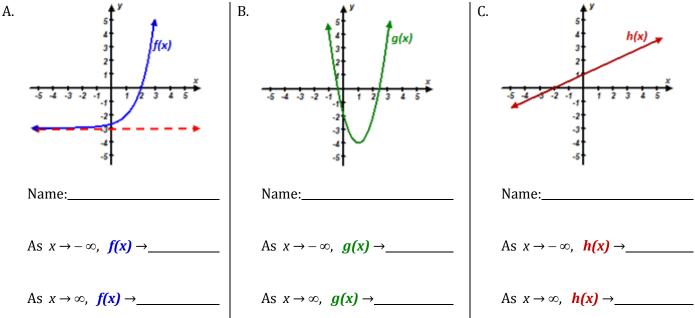
IV. A **<u>quadratic</u>** function with a **local minimum**.

V. A **linear** function that is always **increasing**.

_____ VI. A linear function that is always decreasing.



- 3. Which is the only type of function below that has an asymptote when graphed?
 - A. Linear FunctionB. Quadratic FunctionC. Exponential Function
- 4. Which is the only type of function below that could have a local maximum?
 - A. Linear FunctionB. Quadratic FunctionC. Exponential Function
- 5. Describe the end behavior of each of the function below.



6. Which is the only function that might have end behavior such that as **x** approaches infinity, **f(x)** approaches 4?

	A. Linear Function	B. Quadratic Function	C. Exponential Function
7.	Which is the only function below that mig • As $x \to -\infty$, $f(x) \to \infty$	tion below that might have end behavior such that: (x) $\rightarrow \infty$ • As $x \rightarrow \infty$, $f(x) \rightarrow \infty$	
	A. Linear Function	B. Quadratic Function	C. Exponential Function
8.	Which is the only function below that might have end behavior such that: • As $x \to -\infty$, $f(x) \to -\infty$ • As $x \to \infty$, $f(x) \to \infty$		×∞
	A. Linear Function	B. Quadratic Function	C. Exponential Function
9.	Which is the only function below that mig • As $x \to -\infty$, $f(x) \to -\infty$ A. Linear Function	hight have end behavior such that:• As $x \to \infty$, $f(x) \to -\infty$ B. Quadratic FunctionC. Exponential Function	

10. Based on the function given identify which description best fits the function.

A.
$$f(x) = x(2x+3)$$
B. $g(x) = 3(1-2x) - 4$ C. $h(x) = 2 + \left(\frac{1}{2}\right)^x$ Model (circle one):
Linear Quadratic Exponential
Growth (Local Max) Growth
Linear Quadratic Exponential
DecayModel (circle one):
Linear Quadratic Exponential
DecayModel (circle one):
Linear Quadratic Exponential
DecayD. $m(x) = 3 \cdot (2)^x + 1$ E. $p(x) = 2 - 3x^2 + x$ F. $q(x) = \frac{1}{2}x - 1$ Model (circle one):
Linear Quadratic Exponential
Growth (Local Max) Growth
Linear Quadratic Exponential
DecayModel (circle one):
Linear Quadratic Exponential
Growth (Local Max) Growth
Linear Quadratic Exponential
DecayF. $q(x) = \frac{1}{2}x - 1$

11. Based on the partial set of values given for a function, identify which description best fits the function.

x 0 1 2 3 4 a(x) 1 5 9 13 17	x 1 2 3 4 5 b(x) 1 2 1 -2 -7	x 1 2 3 4 5 c(x) 0 2 6 14 30
Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential Decay (Local Min) Decay	Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential Decay (Local Min) Decay	Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential Decay (Local Min) Decay
x 0 1 2 3 4 d(x) 3 0 -1 0 3	x 1 2 3 4 5 e(x) 65 33 17 9 5	x 1 2 3 4 5 f(x) 9 7 5 3 1
Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential	Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential Decay (Local Min) Decay	Model (circle one): Linear Quadratic Exponential Growth (Local Max) Growth Linear Quadratic Exponential Decay (Local Min) Decay